

# Lecture XXI: Macroeconomic Policy, Trade, and Agriculture

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October 25, 2018

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## My Credentials

- Moss, Charles B. 1987. *The Effect of Macroeconomic Factors on the Well-Being of a Representative Midwestern Crop and Livestock Farm* Unpublished Ph.D. Dissertation, Purdue University.

## A Simple Macroeconomic Model

- One way to develop a macroeconomic model is to start with the definition of Gross National Product (Aggregate Income).

$$Y = C(Y, r) + I(Y, r) + G + M(Y) \quad (1)$$

- $Y$  - Aggregate Income
  - $C(Y, r)$  - Consumption
  - $I(Y, r)$  - Investment
  - $G$  - Government spending
  - $M(Y)$  - Net Exports (Exports minus Imports)
- Next, we ask how this could change – totally differential aggregate income

$$dY = C_Y dY + C_r dr + I_Y dY + I_r dr + dG + M_Y dY \quad (2)$$

## Making Policy Statements

- How does this become useful – let us collect the changes

$$(1 - C_Y - I_Y - M_Y) dY + (-C_r - I_r) dr = dG. \quad (3)$$

rearranging this relationship slightly

$$\frac{dY}{dG} = \frac{1}{1 - C_Y - I_Y - M_Y} + \frac{C_r + I_r}{1 - C_Y - I_Y - M_Y} \frac{dr}{dG} \quad (4)$$

- At a simple level  $1 - C_Y - I_Y - M_Y \ll 1$  for the solution to be mathematically stable (not explosive).

## Policy and Parameters

- These values are typically known as multipliers.
- $C_Y$  is the marginal propensity to consume from current income (say 0.85)
- $I_Y$  is the effect of income on the demand for investment (say 0.05)
- $M_Y$  is the effect of income on the net exports (say -0.02)
- Looking at the first part of  $dY/dG$

$$\frac{1}{1 - C_Y - I_Y - M_Y} = \frac{1}{0.12} = 8.3333 \quad (5)$$

- Thus, the 'pure' multiplier effect is that a \$ 1 increase in government spending increases overall income by \$ 8.3333.

## Interest Rate Effect

- The forgoing discussion leaves out the indirect effect on the interest rate.
  - $C_r$  as the interest rate increases, consumption declines (-0.05)
  - $I_r$  as the interest rate increases, the amount of investment in the economy declines (-0.10)

$$\frac{dY}{dG} = 8.3333 + \frac{-0.05 - 0.10}{0.12} \frac{dr}{dG} = 8.3333 - 1.25 \frac{dr}{dG} \quad (6)$$

- The question is then – what is the impact of government spending on the interest rate?

## Money Market Equilibrium

- We need another relationship. I will use the money market equilibrium

$$\frac{M}{P} = L(Y, r) \quad (7)$$

where  $M$  is the money supply and  $P$  is the price level.

- There are other closure conditions. For example, we could close the model with a labor market equilibrium

$$\frac{w}{P} = f'(L, K) \quad (8)$$

where  $w$  is the wage rate,  $L$  is the employment level, and  $K$  is the level of capital.

## Completing the Macroeconomic System

- Again, we assume that the money market is in equilibrium and totally differentiate the equation yielding

$$\frac{dM}{P} - \frac{M}{P^2}dP = L_Y dY + L_r dr \quad (9)$$

- I want to bring Equation 3 and Equation 9 together in "Matrix Form"

$$\begin{bmatrix} (1 - C_Y - I_Y - M_Y) & (-C_r - I_r) \\ L_Y & L_r \end{bmatrix} \begin{bmatrix} dY \\ dr \end{bmatrix} = \begin{bmatrix} dG \\ \frac{dM}{P} - \frac{M}{P^2}dP \end{bmatrix} \quad (10)$$

## Completing the Macroeconomic System, Continued

- Using our previous discussion on changes in the income equation

$$\begin{bmatrix} 0.12 & -0.15 \\ L_Y & L_r \end{bmatrix} \begin{bmatrix} dY \\ dr \end{bmatrix} = \begin{bmatrix} dG \\ \frac{dM}{P} - \frac{M}{P^2}dP \end{bmatrix} \quad (11)$$

- Parameterizing the money market equilibrium is a little more difficult, but assume that as aggregate income increases - there is less money in the money market ( $L_Y < 0$  or  $L_Y = -0.005$ ). Similarly, we assume that as the interest rate increases, the supply of money increases ( $L_r > 0$  or  $L_r = 0.02$ ).

## Completing the Macroeconomic System, Continued

- Hence,

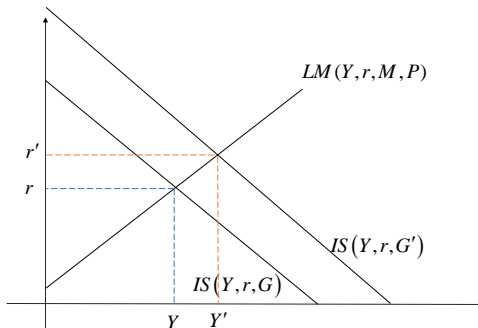
$$\begin{bmatrix} 0.12 & -0.15 \\ -0.005 & 0.02 \end{bmatrix} \begin{bmatrix} dY \\ dr \end{bmatrix} = \begin{bmatrix} dG \\ \frac{dM}{P} - \frac{M}{P^2}dP \end{bmatrix} \quad (12)$$

- Suppose we want to analyze  $dG$ , therefore we set  $dM = dP = 0$  yielding

$$\begin{bmatrix} 0.12 & -0.15 \\ -0.005 & 0.02 \end{bmatrix} \begin{bmatrix} dY \\ dr \end{bmatrix} = \begin{bmatrix} dG \\ 0 \end{bmatrix} \quad (13)$$

$$\begin{bmatrix} 0.12 & -0.15 \\ -0.005 & 0.02 \end{bmatrix} \begin{bmatrix} \frac{dY}{dG} \\ \frac{dr}{dG} \end{bmatrix} = \begin{bmatrix} 1 \\ 0 \end{bmatrix}$$

# The Macroeconomic Equilibrium



## More Mathematics than You Want

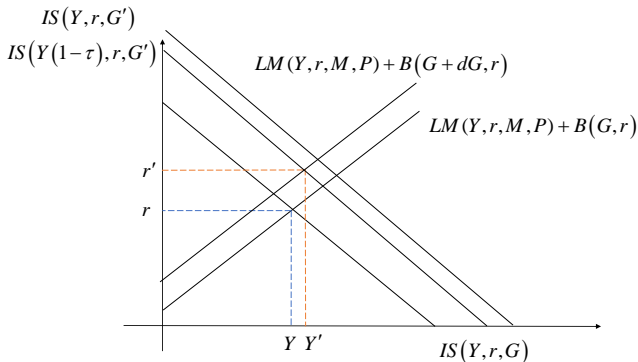
- So, what is the impact of governments spending on aggregate income?
- Using matrix algebra

$$\begin{aligned} \begin{bmatrix} \frac{dY}{dG} \\ \frac{dr}{dG} \end{bmatrix} &= \begin{bmatrix} 0.12 & -0.15 \\ -0.005 & 0.02 \end{bmatrix}^{-1} \begin{bmatrix} 1 \\ 0 \end{bmatrix} \\ \begin{bmatrix} \frac{dY}{dG} \\ \frac{dr}{dG} \end{bmatrix} &= \begin{bmatrix} 12.121212 & 90.90909 \\ 3.030303 & 72.72727 \end{bmatrix} \begin{bmatrix} 1 \\ 0 \end{bmatrix} \\ \begin{bmatrix} \frac{dY}{dG} \\ \frac{dr}{dG} \end{bmatrix} &= \begin{bmatrix} 12.1212 \\ 3.0303 \end{bmatrix} \end{aligned} \quad (14)$$

## Side Model – Tax, Spend, and Issue Bonds

- One important point is that government spending must come from somewhere.
- If government spending comes from taxes, we change the consumption function  $C(Y \times (1 - \tau), r)$ .
- If the government spending comes from issuing bonds  $dG - \tau Y \Rightarrow B(G + dG - \tau Y, r)$ .
- We could replace the consumption function into the aggregate income equation and add the bond function to the moneymarket.

# Graphics – Tax, Spend, and Issue Bonds



## Working's Law

- Two different terms for the same concept:
  - Engel's Law - the additional amount of food consumed declines as income increases.
  - Working's Law - the share of income spent on food declines as the logarithm of income increases.
- Let's use the second relationship

$$w_F = \alpha_F + \beta_F \ln(Y) , \beta_F \ll 0 \quad (15)$$

- The concept is that an increase in government spending probably yields a very small increase in the demand for agricultural output.

# Open Market Macroeconomics

- The largest potential impact of macroeconomics on agriculture typically comes through the exchange rate.
- To develop this, we need to develop the relationship between the balance of payments and the exchange rate.
- Two components of the balance of payments:
  - Current Account - the demand for currency related to the goods account (net exports).
  - Capital Account - the demand for currency related to the desire of individuals outside the U.S. economy to invest in the United States.

## Determining the Exchange Rate

- Let us start by developing an equilibrium relationship for the exchange rate.
  - Let  $e$  be the exchange rate.
  - Let  $M(Y, e)$  be a slightly expanded net export function.
  - Let  $I_F(r, e)$  be the capital account - the demand for investments in the United States.

$$e = f(M(Y, e), I_F(r, e)) \quad (16)$$

- The goods market equilibrium is now slightly different

$$Y = C(Y, r) + I(Y, r) + G + M(Y, e)$$

$$dY - C_Y dY - C_r dr - I_Y dY - I_r dr - M_Y dY - M_e dE = dG \quad (17)$$

$$(1 - C_Y - I_Y - M_Y) dY + (-C_r - I_r) dr + (-M_e) de = dG$$

## Determining the Exchange Rate, Continued

- We also need to extend the money market equilibrium to consider the demand for money for foreign investments

$$\frac{M}{P} = L(Y, r) + I_F(r, e)$$

$$L_Y dY + L_r dr + I_{Fr} dr + I_{Fe} de = \frac{dM}{P} - \frac{M}{P^2} dP \quad (18)$$

$$L_Y dY + (L_r + I_{Fr}) dr + I_{Fe} de = \frac{dM}{P} - \frac{M}{P^2} dP$$

## Determining the Exchange Rate, Continued

- Finally, we totally differentiate Equation 16 to close the exchange rate market

$$\begin{aligned} de &= f_M M_Y dY + f_M M_e de + f_I I_{Fr} dr + f_I I_{Fe} de \\ -f_Y M_Y dY - F_I I_{Fr} dr + (1 - f_M M_e - f_I I_{Fe}) de &= 0 \end{aligned} \quad (19)$$

## Bringing the Parts Together

$$\begin{bmatrix} (1 - C_Y - I_Y - M_Y) & (-C_r - I_r) & -M_e \\ L_Y & (L_r + I_{Fr}) & I_{Fe} \\ -f_Y M_Y & -f_i I_{Fr} & (1 - f_M M_e - f_I I_{Fe}) \end{bmatrix} \begin{bmatrix} dY \\ dr \\ de \end{bmatrix} = \begin{bmatrix} dG \\ \frac{dM}{P} - \frac{M}{P^2} dP \\ 0 \end{bmatrix} \quad (20)$$

# Effect on Trade

